

## 3} Number System in Computer Architecture

### \* Number system -

Number system are the technique to represent numbers in the computer system architecture, every value that you are saving or getting into/from computer memory has a defined number system.

→ Computer architecture supports following number system -

- i) Binary number system
- ii) Octal number system
- iii) Decimal number system
- iv) Hexadecimal (hex) number system.

### i) Binary number system -

→ A binary number system has only two digits that are 0 and 1.

→ In this system, every number (value) represents with 0 and 1.

→ The base of binary number system is 2, because it has only two digits.

ii) Octal number system -

→ Octal number has only eight digit from 0 to 7.

→ Every value represents with 0, 1, 2, 3, 4, 5, 6 & 7 in this system.

→ The base of octal number system is 8, because it has only 8 digits.

iii) Decimal number system -

→ Decimal number system has only ten digits from 0 to 9.

→ In this number system, every value represents with 0, 1, 2, 3, 4, 5, 6, 7, 8 & 9.

→ The base of decimal number system is 10, because it has only 10 digits.

iv) Hexadecimal number system -

→ A hexadecimal number system has sixteen alphanumeric values from '0' to '9' and 'A' to 'F'.

→ In this system, every value represents with 0, 1, 2, 3, 4, 5, 6, 7, 8, 9, A, B, C, D, E & F.

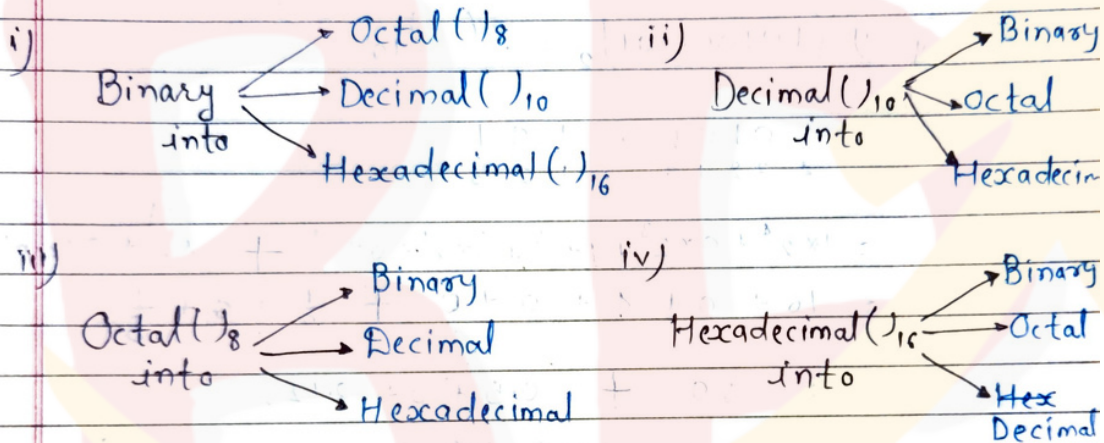
→ The base of hexadecimal system is 16.



Here,

- A = 10      E = 14  
B = 11      F = 15  
C = 12  
D = 13

## Conversion of Number System



\* Conversion of Binary to other number system-

i) Binary to decimal -

Eg:- i)  $(101)_2 = (\quad)_{10}$

Sol:-

$$\begin{array}{r}
 1 \quad 0 \quad 1 \\
 2^2 \quad 2^1 \quad 2^0 \\
 = 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\
 = 4 + 0 + 1 = (5)_{10}
 \end{array}$$

2)  $(10101)_2 = (\quad)_{10}$

$$\begin{array}{r}
 1 \quad 0 \quad 1 \quad 0 \quad 1 \\
 2^4 \quad 2^3 \quad 2^2 \quad 2^1 \quad 2^0 \\
 = 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\
 = 16 + 0 + 4 + 0 + 1 \\
 = (21)_{10}
 \end{array}$$

$$\text{iii) } (11011)_2 = (\quad)_{10}$$

$$= 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$$

$$= 16 + 8 + 0 + 2 + 1$$

$$= (27)_{10}$$

\* Binary to decimal (Fraction part) -

$$\text{Eg:- 1) } (10100.101)_2 = (\quad)_{10}$$

$$\begin{array}{ccccccc} 1 & 0 & 1 & 0 & 0 & . & 1 & 0 & 1 \\ 4 & 3 & 2 & 1 & 0 & & -1 & -2 & -3 \end{array}$$

$$= 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 + 1 \times 2^{-1} + 0 \times 2^{-2} + 1 \times 2^{-3}$$

$$= 16 + 0 + 4 + 0 + 0 + \frac{1}{2} + 0 + \frac{1}{8}$$

$$= 20 + 0.5 + 0 + 0.125$$

$$= 20 + 0.625 = (20.625)_{10}$$

$$\text{2) } (1110.11)_2 = (\quad)_{10}$$

$$\begin{array}{ccccccc} 1 & 1 & 1 & 0 & . & 1 & 1 \\ 3 & 2 & 1 & 0 & & -1 & -2 \end{array}$$

$$= 1 \times 2^3 + 1 \times 2^2 + 1 \times 2^1 + 0 \times 2^0 + 1 \times 2^{-1} + 1 \times 2^{-2}$$

$$= 8 + 4 + 2 + 0 + \frac{1}{2} + \frac{1}{4}$$

$$= 14 + 0.75$$

$$= (14.75)_{10}$$



## ii) Binary to octal -

Eg:-

$$i) (1001000100001010)_2 = ( \quad )_8$$

Octal no.	Binary equivalent
0	000
1	001
2	010
3	011
4	100
5	101
6	110
7	111

Rule-

i) Make group of 3 bits each from right to left -

$$1 \quad \underline{001} \quad \underline{000} \quad \underline{100} \quad \underline{001} \quad \underline{010}$$

Add extra 0's to make three bits in the left most group -

$$\begin{array}{cccccc} 001 & 001 & 000 & 100 & 001 & 010 \\ \downarrow & \downarrow & \downarrow & \downarrow & \downarrow & \downarrow \\ 1 & 1 & 0 & 4 & 1 & 2 \end{array}$$

$$= (110412)_8$$

$$ii) (110100101)_2 = ( \quad )_8$$

$$\begin{array}{ccc} 110 & 100 & 101 \\ \downarrow & \downarrow & \downarrow \\ 6 & 4 & 5 \end{array}$$

$$= (645)_8$$

## \* Binary to Octal (Fractional part) -

Eg:-  $1000101111.11010 = ( )_8$

← grouped from right to left      → group from left to right

ie -  $\frac{010}{2} \cdot \frac{001}{1} \frac{011}{3} \frac{111}{7} \cdot \frac{110}{6} \frac{100}{4}$   
 $= (2137.64)_8$

ii)  $(110111001.100001)_2 = ( )_8$

$\frac{110}{6} \frac{111}{7} \frac{001}{1} \cdot \frac{100}{4} \frac{001}{1}$   
 $= (671.41)_8$

## iii) Binary to hexadecimal -

Eg:-  $(1001000100001010)_2 = ( )_{16}$

Rule-1) Make group of 4 bits each from right to left.

$\frac{1001}{9} \frac{0001}{1} \frac{0000}{0} \frac{1010}{10(A)}$

$= (910A)_{16}$

Hexa	Binary
0	0000
1	0001
2	0010
3	0011
4	0100
5	0101
6	0110
7	0111
8	1000
9	1001



ii)  $(1110100010111100)_2$   
= ( )<sub>8</sub>

<u>1110</u>	<u>1000</u>	<u>1011</u>	<u>1100</u>
14(E)	8	11(B)	12(C)

Hexa	→	Binary
10-A	→	1010
11-B	→	1011
12-C	→	1100
13-D	→	1101
14-E	→	1110
15-F	→	1111

= (E8BC)<sub>16</sub>

\* Fractional part -

$(110111001101110110110011)_2$

i)  $(110111001101110110110011)_2 = ( )_{16}$

<u>1101</u>	<u>1100</u>	<u>1101</u>	<u>1101</u>	·	<u>1011</u>	<u>0011</u>
13(D)	12(C)	13(D)	13(D)		11(B)	3

(DCDD.B3)<sub>16</sub>

\* Decimal to other number system -

i) Decimal to Binary -

Eg:- i)  $(125)_{10} = ( )_2$

2	125	
2	62	1
2	31	0
2	15	1
2	7	1
2	3	1
	1	1

=  $(1111101)_2$

\* Fractional part -

Ex:  $(125.65)_{10} = ( )_2$

Binary of 125 is 1111101

Now, binary of 0.65 -

$0.62 \times 2 = 1.30$

$0.30 \times 2 = 0.60$

$0.60 \times 2 = 1.20$

$0.20 \times 2 = 0.40$

$0.40 \times 2 = 0.80$

$0.80 \times 2 = 1.60$

(सिर्फ fractional वाले पार्ट को 2 से गुणा करता है)

(तब तक गुणा करेंगे)

जब तक Same no.

या 0 ना आ जाए)

same

$= (1111101.10100)_2$

ii)  $(20.425)_{10} = ( )_2$

Binary of 20 -

2	20	
2	10	0
2	5	0
2	2	1
	1	0

$= (10100)_2$

Binary of 0.425 -

$0.425 \times 2 = 0.850 = 0$

$0.850 \times 2 = 1.700 = 1$

$0.700 \times 2 = 1.400 = 1$

$0.400 \times 2 = 0.800 = 0$

$0.800 \times 2 = 1.600 = 1$

$0.600 \times 2 = 1.200 = 1$

$0.200 \times 2 = 0.400 = 0$

same

$= (10100.0110110)_2$



ii) Decimal to octal -

$$\begin{array}{r|l} 8 & 673 \\ \hline 8 & 84 & 1 \\ 8 & 10 & 4 \\ \hline & 1 & 2 \end{array}$$

= (1241)<sub>8</sub>

ii) (39286)<sub>10</sub> = ( )<sub>8</sub>

$$\begin{array}{r|l} 8 & 39286 \\ \hline 8 & 4910 & 6 \\ 8 & 613 & 6 \\ 8 & 76 & 5 \\ 8 & 9 & 4 \\ & 1 & 1 \end{array}$$

= (114566)<sub>8</sub>

\* Fractional -

i) (673.125)<sub>10</sub> = ( )<sub>8</sub>

Octal of 673 = 1241

Now,

Octal of 0.125 -

0.125 × 8 = 1.000 = 1 (Integer part)

= (124.1)<sub>8</sub>

ii) (423.03125)<sub>10</sub> = ( )<sub>8</sub>

Octal of 423 =  $\begin{array}{r|l} 8 & 423 \\ \hline 8 & 52 & 7 \\ & 6 & 4 \end{array}$  = (647)<sub>8</sub>

Now octal of .03125 -

0.03125 × 8 = 0.250 = 0

.250 × 8 = 2.00 = 2

= (647.02)<sub>8</sub>

iii) Decimal to hexadecimal -

Eg:- i)  $(8234)_{10} = ( )_{16}$

16	8234	
16	514	20
16	32	2
	2	0

$$= 2 \ 0 \ 2 \ 10$$

$$= (202A)_{16} \text{ Ans}$$

ii) 

16	673	
16	42	1
	2	10

$$= 2 \ 10 \ 1$$

$$= (2A1)_{16} \text{ Ans}$$

Fractional -

Eg:-  $(673.125)_{10} = ( )_{16}$

Hexadecimal of 673 = 2A1

Now,

Hexadecimal of 0.125 =

$$= 0.125 \times 16 = 2.000 = 2$$

$\therefore (2A1.2)_{16} \text{ Ans}$

ii)  $(2863.225)_{10} = ( )_{16}$

Hexa of 2863 = 

16	2863	
16	178	15
	11	2

$$= 11 \ 2 \ 15$$

$$= B \ 2 \ F$$

Now, Hexadecimal of 0.225 =  $(B2F)_{16}$

$= 0.225 \times 16 = 3.6 = 3$

$= 0.6 \times 16 = 9.6 = 9$

$\therefore (B2F.39)_{16} \text{ Ans}$



## \* Conversion of Octal to other system

### i) Octal to Binary-Decimal-

$$\begin{aligned} \text{Eg:- } (2315)_8 &= ( )_{10} \\ &= 2 \times 8^3 + 3 \times 8^2 + 1 \times 8^1 + 5 \times 8^0 \\ &= 1024 + 192 + 8 + 5 \\ &= (1229)_{10} \end{aligned}$$

$$\begin{aligned} \text{ii) } (349)_8 &= ( )_{10} \\ &= 3 \times 8^2 + 4 \times 8^1 + 9 \times 8^0 \\ &= 192 + 32 + 9 = (233)_{10} \end{aligned}$$

### Fractional-

$$\begin{aligned} \text{Eg:- } (428.235)_8 &= ( )_{10} \\ &= 4 \times 8^2 + 2 \times 8^1 + 8 \times 8^0 + 2 \times 8^{-1} + 3 \times 8^{-2} + 5 \times 8^{-3} \\ &= 256 + 16 + 8 + 2 \times \frac{1}{8} + 3 \times \frac{1}{64} + 5 \times \frac{1}{512} \\ &= 280 + 0.306640 \\ &= (280.306640)_{10} \end{aligned}$$

### ii) Octal to binary-

$$\text{Eg:- } (3461)_8 = ( )_2$$

First, convert the above into decimal-

$$\begin{aligned} (3461)_8 &= 3 \times 8^3 + 4 \times 8^2 + 6 \times 8^1 + 1 \times 8^0 \\ &= 3 \times 512 + 4 \times 64 + 48 + 1 \\ &= 1536 + 256 + 49 \\ &= (1841)_{10} \end{aligned}$$

Now, Convert the decimal number into binary -

2	1841	
2	920	1
2	460	0
2	230	0
2	115	0
2	57	1
2	28	1
2	14	0
2	7	0
2	3	1
2	1	1

$= 10111001$   
 $= (11100110001)_2$

2nd method

ii)  $(706)_8 = (\quad)_{20}$

Binary of 7 = 111

0 = 000

6 = 110

$= (111000110)_{10}$

\* Fractional -

$(356.50)_8 = (\quad)_{20}$

$= \frac{011}{3} \frac{101}{5} \frac{110}{6} \frac{101}{5} \frac{000}{0}$

$= (01101110101000)_{10}$



iii) Octal to hexadecimal -

$$(121327)_8 = ( )_{16}$$

First of all find its binary -

$$1 = 001$$

$$2 = 010$$

$$3 = 011$$

$$13 = 1101$$

$$2 = 010$$

$$7 = 111$$

$$= (001010001011010111)_2$$

Now make group of '4' right to left -

0000	1010	0010	1101	0111
0	10(A)	2	D	7

$$= (A2D7)_{16}$$

## \* Conversion of Hexadecimal to other system

i) Hexadecimal to decimal -

Eg:-  $(A15)_{16} = ( )_{10}$

$$\begin{array}{ccc} A & 1 & 5 \\ 2 & 1 & 0 \end{array}$$

$$\begin{aligned} &= 10 \times 16^2 + 1 \times 16^1 + 5 \times 16^0 \\ &= 2560 + 16 + 5 \\ &= (2581)_{10} \end{aligned}$$

2)  $(12C)$

$$= 1 \times 16^2 + 2 \times 16^1 + C \times 16^0$$

$$\begin{aligned} &= 256 + 32 + 12 \times 10 \\ &= (304)_{10} \end{aligned}$$

## \* Fractional -

Eg:-  $(A15.B)_{16} = ( )_{10}$

$$\begin{array}{ccc} A & 1 & 5 & . & B \\ \leftarrow & & & & \rightarrow \end{array}$$

$$A \times 16^2 + 1 \times 16^1 + 5 \times 16^0 + B \times 16^{-1}$$

$$10 \times 256 + 16 + 5 + 11 \times \frac{1}{16}$$

$$= 2560 + 21 + 0.6875$$

$$= (2581.6875)_{10}$$

$(2A1.2)_{16} = ( )_{10}$

$$= 2 \times 16^2 + 10 \times 16^1 + 1 \times 16^0 + 2 \times 16^{-1}$$

$$= 2 \times 256 + 160 + 1 + 2 \times \frac{1}{16}$$

$$= 512 + 161 + 0.125$$

$$= (673.125)_{10}$$

ii) Hexadecimal to binary -

$$\text{Eg: } (A2D7)_{16} = ( )_2$$

Binary of -

$$A = 1010 \quad 2 = 0010 \quad D = 1101 \quad 7 = 0111$$

$$= (1010001011010111)_2$$

\* Fractional -

$$\text{Eg: } (E28.C3)_{16} = ( )_2$$

$$E = 1110, \quad 2 = 0010, \quad 8 = 1000$$

$$C = 1100, \quad 3 = 0011$$

$$= (111000101000.11000011)_2$$

iii) Hexadecimal to octal -

$$\text{Eg: } (A2D7)_{16} = ( )_8$$

First of all find its binary -

$$A = 1010, \quad 2 = 0010, \quad D = 1101, \quad 7 = 0111$$

$$= (1010001011010111)_2$$

Now make group of '3' bits from right to left

$$\begin{array}{cccccc} 001 & 010 & 001 & 011 & 010 & 111 \\ \hline 1 & 2 & 1 & 3 & 2 & 7 \end{array}$$

$$= (121327)_8$$



## \* Arithmetic operation of Number System -

### i) Binary arithmetic -

#### → Addition -

Carry	0	0	0	1	
Augend	0	0	1	1	
Addand	0	1	0	1	$1+1 = 2 \rightarrow 10$ binary
Sum	0	1	1	0	

Q  $(1101)_2 + (1001)_2$

1101	Decimal	13	
+ 1001	Decimal	9	
10110	Decimal	22	$2 \rightarrow 10$ Carry

Q  $(1011)_2 + (1111)_2 + (1011)_2 = (?)_2$

<del>1011</del>	<del>1011</del>	$1011 \rightarrow 11$	
<del>+ 0111</del>		$0111 \rightarrow 7$	$4 \rightarrow 100$
	+ 1011	$1011 \rightarrow 11$	Carry(2)
		$11101 \rightarrow 29$	

2	2	0
2	2	0
1	0	

Q (1011.01)<sub>2</sub> + (11.1)<sub>2</sub>

$$\begin{array}{r} \phantom{0} \phantom{0} \\ 1 \ 0 \ 1 \ 1 \ . \ 0 \ 1 \\ + \ 0 \ 0 \ 1 \ 1 \ . \ 1 \ 0 \\ \hline 1 \ 1 \ 1 \ 0 \ . \ 1 \ 1 \end{array}$$

→ Subtraction:-

Barrow	0	1	0	0
Minuend	0	0	1	1
Subtrahend	0	1	0	1
Difference	0	1	1	0

Q (1010)<sub>2</sub> - (110)<sub>2</sub> = (?)<sub>2</sub>

$$\begin{array}{r} 1 \ 0 \ 1 \ 0 \ \rightarrow \ 10 \\ 0 \ 1 \ 1 \ 0 \ \rightarrow \ 6 \\ \hline 0 \ 1 \ 0 \ 0 \ \rightarrow \ 4 \end{array}$$

Q (10000)<sub>2</sub> - (1111)<sub>2</sub> = (?)<sub>2</sub>

$$\begin{array}{r} 1 \ 0 \ 0 \ 0 \ 0 \\ - \ 0 \ 1 \ 1 \ 1 \ 1 \\ \hline 0 \ 0 \ 0 \ 0 \ 1 \end{array}$$

Q (1011)<sub>2</sub> - (



## → Multiplication :-

Multiplicand	0	0	1	1
Multiplier	0	1	0	1
Partial product	0	0	0	1
Product (Sum of partial product)				

Q  $(1010)_2 * (101)_2 = (?)_2$

$$\begin{array}{r}
 1010 \\
 \times 101 \\
 \hline
 1010 \\
 0000 \\
 1010 \\
 \hline
 110010
 \end{array}$$

Q  $(101.1)_2 * (10)_2$

$$\begin{array}{r}
 101.1 \\
 \times 10 \\
 \hline
 0000 \\
 1011 \\
 \hline
 1011.0
 \end{array}$$

## → Division -

Q  $101 \overline{) 110010} \quad (1010)$

$$\begin{array}{r}
 101 \overline{) 110010} \\
 \underline{101} \phantom{00} \\
 00101 \\
 \underline{101} \phantom{00} \\
 000
 \end{array}$$

Q  $1010 \overline{) 110010} \quad (101)$

$$\begin{array}{r}
 1010 \overline{) 110010} \\
 \underline{1010} \phantom{00} \\
 001010 \\
 \underline{1010} \phantom{00} \\
 0000
 \end{array}$$



## ii) Octal arithmetic -

### → Addition -

Q  $(166)_8 + (76)_8 = (?)_8$

$$\begin{array}{r} \textcircled{1} \textcircled{1} \\ 1 \ 6 \ 6 \\ + \ 7 \ 6 \\ \hline 2 \ 6 \ 4 \end{array}$$

Steps -

i)  $6+6 = 12 - 8 = 4$

ii)  $1+6+7 = 14 - 8 = 6$  (and 1 carry)

iii)  $1+1 = 2$

When it is greater than 8 then subtract 8.

↑ It is used one time means carry one

Q  $(16.5)_8 + (7.6)_8$

$$\begin{array}{r} \textcircled{1} \textcircled{1} \\ 16.5 \\ + \ 7.6 \\ \hline 26.3 \end{array}$$

$5+6 = 11 - 8 = 3$  (and 1 carry)

$1+6+7 = 14 - 8 = 6$  (1 carry)

### → Subtraction -

Q  $(76.2)_8 - (66.6)_8$

$$\begin{array}{r} \textcircled{5} \\ 76.2 \\ - \ 66.6 \\ \hline 07.5 \end{array}$$

Steps -

i) 2 borrow 8 from 6 then

$2(2+8)$  becomes 10 i.e.  $10-6=5$

ii) 6 becomes 5



## iii) Hexadecimal arithmetic -

### → Addition -

Q  $(1F)_{16} + (2A)_{16} = (?)_{16}$

$$\begin{array}{r} 1F \\ + 2A \\ \hline 49 \end{array}$$

↑ greater than 16 then subtract 16  
 $F(15) + A(10) = 25 - 16 = 9$   
↓ 1 carry

Q  $(29)_{16} + (17)_{16} = (?)_{16}$

$$\begin{array}{r} 29 \\ + 17 \\ \hline 40 \end{array}$$

$9 + 7 = 16 - 16 = 0$   
↓ 1 carry

Q  $(28)_{16} + (17)_{16}$

$$\begin{array}{r} 28 \\ + 17 \\ \hline 3F \end{array}$$

$8 + 7 = 15 \rightarrow F$

Q  $(A)_{16} + (6)_{16} \rightarrow (?)_{16}$

$$\begin{array}{r} 0A \\ + 6 \\ \hline 10 \end{array}$$

$A \rightarrow 10 + 6 = 16 - 16 = 0$   
↓ 1 carry

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Q Find 9's & 10's complement of decimal no. 1265.45

$$\begin{array}{r} 9's \text{ complement} = 9999.99 \\ - 1265.45 \\ \hline 8734.54 \end{array}$$

$$\begin{array}{r} 10's \text{ complement} : 8734.54 + \\ + 1 \\ \hline 8734.55 \end{array}$$

Q  $(1011)_2$    
 ? 1's complement   
 ? 2's complement

$$\begin{array}{r} 1's \text{ complement} = 1111 \rightarrow \text{largest value of 4 digit} \\ - 1011 \quad \text{in binary form} \\ \hline 0100 \end{array}$$

$$\begin{array}{r} 2's \text{ complement} = 0100 \\ + 1 \\ \hline 0101 \end{array}$$

Trick for 1's complement of binary no. → Just exchange 1 with 0 & 0 with 1

Q Find 1's & 2's complement of binary no-  $(10101001.1001)_2$

$$1's \text{ complement} = 01010110.0110$$

$$2's \text{ complement} = 01010110.0110$$

$$\begin{array}{r} 01010110.0110 \\ + 1 \\ \hline 01010110.0111 \end{array}$$

\* Subtraction using 1's complement -

- Rules
- i) No. of bits must be equal of minuend and subtrahend.
  - ii) Find complement (1's) of subtrahend
  - iii) Add the minuend with complemented subtrahend
  - iv) Check, did you find carry at most significant -  
 If yes - then find add the carry to the sum, the result will be +ve.  
 Else - Find complement of sum, the result will be -ve.

Q  $(1011)_2 - (0111)_2$

1's complement of subtrahend (0111) is 1000

Sum of minuend (1011) & complemented subtr (1000)

$$\begin{array}{r} 1011 \\ + 1000 \\ \hline 10011 \end{array}$$

Here we found carry at most significant, so add the carry to the sum, therefore result will be +ve.

$$\begin{array}{r} 0011 \\ + 0011 \\ \hline 0100 \end{array}$$

(+ve) 0100 ✓

Q  $(10111)_2 - (1011)_2$

1's complement of subtr (1011) = 10100

$$\begin{array}{r} 10100 \\ + 10111 \\ \hline 101011 \end{array}$$

(Here we found carry)

$$01011 + 1 = 01100 \text{ (+ve)}$$

✓



\*  $(10011.1)_2 - (01101.01)_2$  Using 2's complement

Step-1 2's compl of subtrahend  $(01101.01)$

$$= 10010.10 \rightarrow 1's$$

$$+ 1$$

$$\underline{10010.11} \rightarrow 2's$$

Step-2 - Find sum of minuend & complemented subtrahend -

$$\begin{array}{r} 10011.10 \\ 10010.11 \\ \hline 100110.01 \end{array}$$

Step-3 Here we found carry in sum at M.S.B  
So, ignore the carry, therefore the result will be +ve.

$$= 00110.01$$

$$= (110.01)_2$$

Q  $(01101.01)_2 - (10011.10)$  using 2's -

Step-1 2's compl. of subt  $(10011.10)$

$$01100.01 \rightarrow 1's$$

$$+ 1$$

$$\underline{01100.10} \rightarrow 2's$$

Step-2

$$\begin{array}{r} 01101.01 \\ 01100.10 \\ \hline 1111 \end{array} \quad \begin{array}{r} 01101.01 \\ 01100.10 \\ \hline 11001.11 \end{array}$$

Here we not found carry so, find 2's comp of the sum. Therefore final result will be -ve

For more PDFs and computer notes.. search "beingpro33" on Telegram page.



$$\text{Sum} = 11001.11$$

$$1's = 00110.00$$

$$2's = 00110.01 = (110.01)_2 \quad \text{Ans}$$

Q (1101.01)<sub>2</sub> - (101)<sub>2</sub> using 1's complement -

~~1101.01~~ (1101.01)<sub>2</sub> - (0101.00)<sub>2</sub> (No. of bits are same)

Step-I (0101.00)<sub>2</sub>  $\xrightarrow{1's}$  1010.11

Step-II -

$$\begin{array}{r} 1010.11 \\ 1101.01 \\ \hline 11000.00 \end{array} \quad (\text{Found carry at M.S.B})$$

Step-III -

$$\begin{array}{r} 1000.00 \\ \hline 1000.01 \end{array} \quad (\text{+ve value})$$

Q (0101.00)<sub>2</sub> - (1101.01)<sub>2</sub> Using 1's complement?

1101.01  $\xrightarrow{1's}$  0010.10

~~0010.10~~

$$\begin{array}{r} 0010.10 \\ + 0101.00 \\ \hline 0111.10 \end{array} \quad (\text{Here we not found carry so find 1's comp of sum})$$

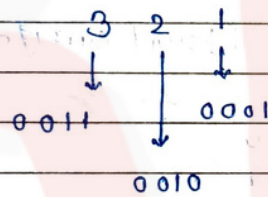
0111.10  $\rightarrow$  1000.01 (-ve value)  
Ans

\* **BCD code** - (Binary coded decimal) -

In this code each digit of a decimal number system is converted into its binary equivalent instead of converting the entire decimal value.

We use group of 4 bits to represent a digit in BCD. 4 bits represent only digits because 4 bits are insufficient to represent various characters used by the computer.

Eg:- Find the BCD code of 321.



After combining - 001100100001 (BCD)

\* **EBCDIC code** (Extended Binary coded Decimal Interchange code)

In this code, it is possible to represent  $256(2^8)$  different characters.

It is a 8 bit code developed by IBM.

→ It has two types of format -

- i) Zoned Decimal Format
- ii) Packed " "

\* **ASCII** (American Standard code for Information Interchange) -

It is accepted by several computer manufacturers as their computer's internal code.

Trick -  $64 + \text{UPPERcase Char} \rightarrow \text{gives ASCII}$  / Eg:-  $64 + c = 64 + 3 = 67$

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This code is popular in data communication. It is used to represent data internally in micro computers.

- ASCII is of two types -
  - i) ASCII-7 → 7 bit code →  $2^7 = 128$  character
  - ii) ASCII-8 → 8 bit code →  $2^8 = 256$  "

\* ASCII value of -

A = 65 , B = 66 , C = 67 - - - - - Z = 90 (UPPER case)

a = 97 , b = 98 , c = 99 - - - - - z = 122 (lower case)

0 = 48 , 1 = 49 , 2 = 50 - - - - - 9 = 57 (digit)